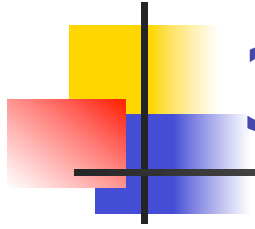




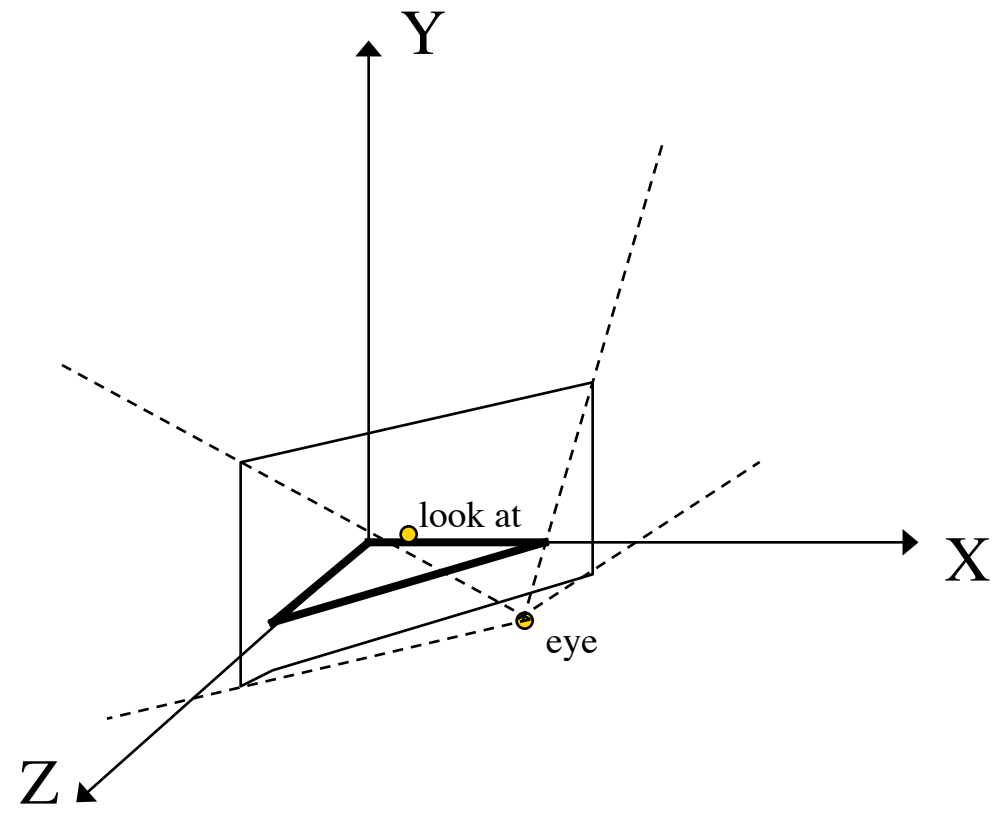
3D Viewing example

- Object: triangle $A(0,0,0)$, $B(1,0,0)$, $C(0,0,1)$
- Eye: $(3,1,3)$
- Look at point: $(2,1,2)$
- Up vector $(0,1,0)$

- near = 0.1, far = 10
- fovy = 45 degrees
- aspect = 2.0
- viewport: 200x100 pixels



3D Viewing example





Step 1: Modeling transformation

- Nothing to do here; we've defined our object in world coordinates



Step 2: Viewing transformation

- Multiply each vertex by V , defined as:

$$V = \begin{pmatrix} u_x & u_y & u_z & d_x \\ v_x & v_y & v_z & d_y \\ n_x & n_y & n_z & d_z \\ 0 & 0 & 0 & 1 \end{pmatrix}$$



Step 2: Viewing transformation

- $n = \text{eye} - \text{look} = [1,0,1]/\text{sqrt}(2)$
- $u = \text{up} \times n = [1,0,-1]/\text{sqrt}(2)$
- $v = n \times u = [0,1,0]$
- $d_x = -\text{eye} \cdot u = 0$
- $d_y = -\text{eye} \cdot v = -1$
- $d_z = -\text{eye} \cdot n = -6/\text{sqrt}(2)$



Step 2: Viewing transformation

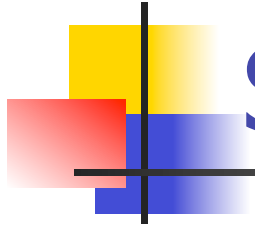
- $VA = A' = (0, -1, -6/\sqrt{2})$
- $VB = B' = (1/\sqrt{2}, -1, -5/\sqrt{2})$
- $VC = C' = (-1/\sqrt{2}, -1, -5/\sqrt{2})$

- These are the locations of the points in eye coordinates



Step 3: Projection

- Project points onto near clipping plane, so $d = -0.1$
- A' projects to $A'' = (0, -\sqrt{2}/60)$
- B' projects to $B'' = (1/50, -\sqrt{2}/50)$
- C' projects to $C'' = (-1/50, -\sqrt{2}/50)$
- These are the locations of the points in clip coordinates



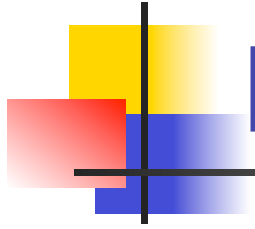
Step 4: Clipping

- The corners of the viewing window (on the near clipping plane) are:
 $(-0.082, -0.041)$ and $(0.082, 0.041)$
- All three projected vertices are inside this window, so no clipping is necessary



Window-viewport transform

- translate by $(0.082, 0.041)$, scale by $(1219.5, 1219.5)$
- A'' becomes $A''' = (100, 20.73)$
- B'' becomes $B''' = (124.39, 15.85)$
- C'' becomes $C''' = (75.61, 15.85)$



Final rendered image

