



#### Conjunctions

- The AND operation in conjunctions is implied in Prolog
- The structures that specify atomic propositions in a conjunction are separated by commas
- The commas can be considered as AND operators

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#### **Rule Statements**

- E.g., grandparent(X, Z) :- parent(X, Y), parent(Y, Z),
- where X, Y, and Z are universal objects – It states that if there are instantiations of
- It states that if there are instantiations of X, Y, and Z such that parent (X, Y) is true, and parent (Y, Z) is true, then for those same instantiations of X, Y, and Z, grandparent(X, Z) is true

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#### Goal Statements

- Also correspond to Headless Horn clauses
- Goal statements are propositions describing the theorem that we want the system to either prove or disprove - E.g., man(fred)
- Because goal statements and some nongoal statements have the same form, a Prolog implementation must have some means to distinguish between the two

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#### Goal Statement

(assert(rainy(seattle))).

(assert(rainy(rochester))).
?- rainy(C).

The Prolog interpreter would respond with:

```
C = seattle
```

Seattle is returned first, because it comes first in the database

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X = jane\_doe ; X = jane\_doe; X = ajit\_chandra. How should we modify the rule so that the student is not considered as a classmate of himself or herself? classmates(X, Y) :- takes(X, Z), takes(Y, Z), X\=Y.

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#### Prolog Programs

- ASSERT (define)
   FACTS about OBJECTS
  - <u>RULES(</u>"CLAUSES") that inter-relate facts

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 Ask <u>QUESTION</u>S about objects and their relationship <u>– GOALS</u>









 Strings of letters, digits, and underscores starting with an <u>UPPER CASE</u> letter

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- Variables are <u>not</u> bound to type by declaration



#### **Prolog Notes**

 <u>RULES</u>: ASSERTIONS from which conclusions can be drawn <u>if</u> given conditions are true (assert((parent(X, Y) :-father(X, Y); mother (X, Y)))).
 – contains variables for instantiation
 – also stored in database

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An Example		
(assert ((eats(bob, X) :- color(X, green), veqetable(X)))).		
Does bob eat apples ?   ?- eats(bob, apple). color(apple, green) => match vegetable(apple) => no	false	
Does bob eat squash ?   ?- eats(bob, squash). color(squash, green) => no	false	
What does bob eat ?   - eats(bob, X).	therefore X = peas	
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#### Prolog Notes

 <u>CONJUNCTIVE RULES</u>: X if Y <u>AND</u> Z (assert((father(X, Y) :- parent(X, Y), male(X)))).

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 <u>NEGATION RULES</u>: X if Not Y (assert((good(X) :- not(bad(X))))). (assert((mother(X, Y) :- parent(X, Y), not(male(X))))).

## When we ask a query that will result in TRUE, we get the right answer: ?- older(george, mary). yes When we ask a query that will result in

FALSE, we get into an endless loop ?- older(mary, john).

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# Left Recursion Problem The first element in older is the predicate that is repeatedly tried To solve the problem, remove the older rule and replace with: is\_older(X, Y) :- older(X, Y). is\_older(X, Z) :- older(X, Y), is\_older(Y, Z). Now: ?- is\_older(mary, john). false

"Older" Example

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older(X, Z) := older(X, Y), older(Y, Z).

older(george, john).

older(alice, george).

older(john, mary).

### Prolog Notes • Prolog is more than "LOGIC" – Math – List manipulation

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#### Prolog - Issues/Limitations

 The Negation Problem -- failure to prove is not equivalent to a logical not

 not(not(some\_goal)) is not necessarily equivalent to some\_goal

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